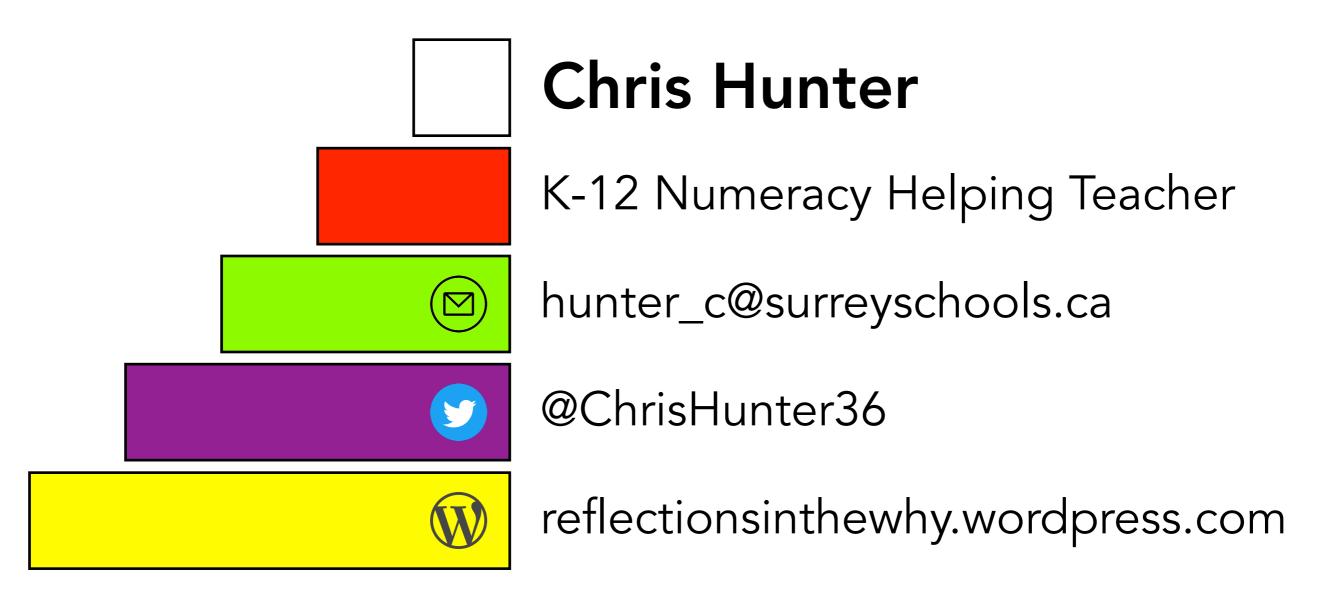
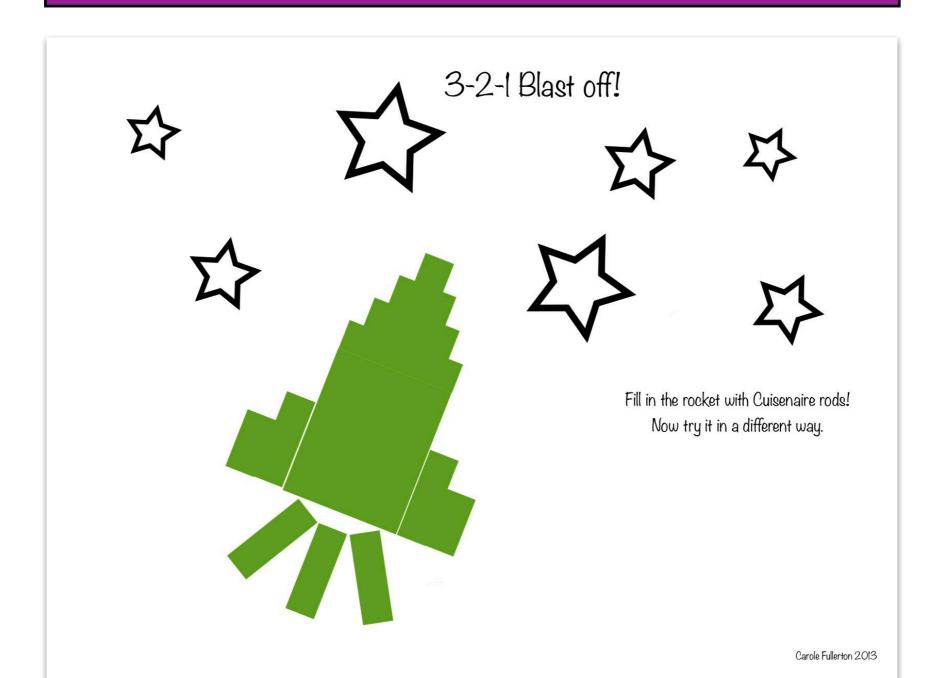


# Conceptual Understanding Through Cuisenaire Rods

Surrey Focus Day • February 2020

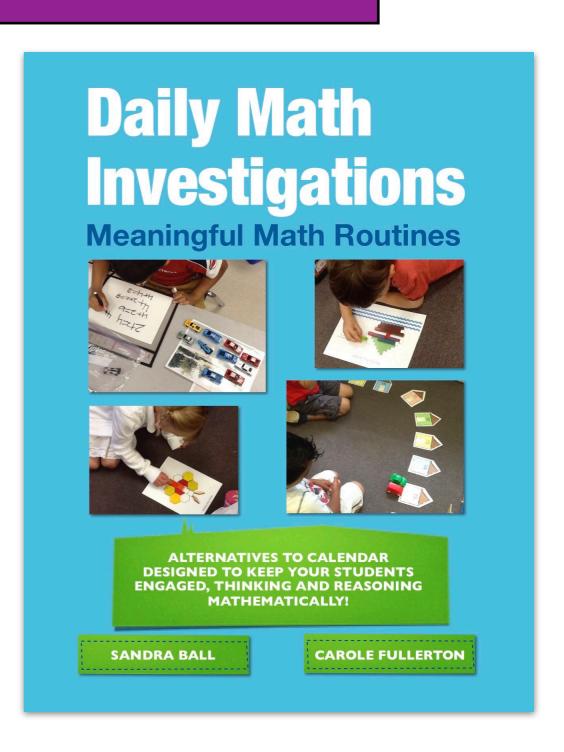


## Spatial Puzzles



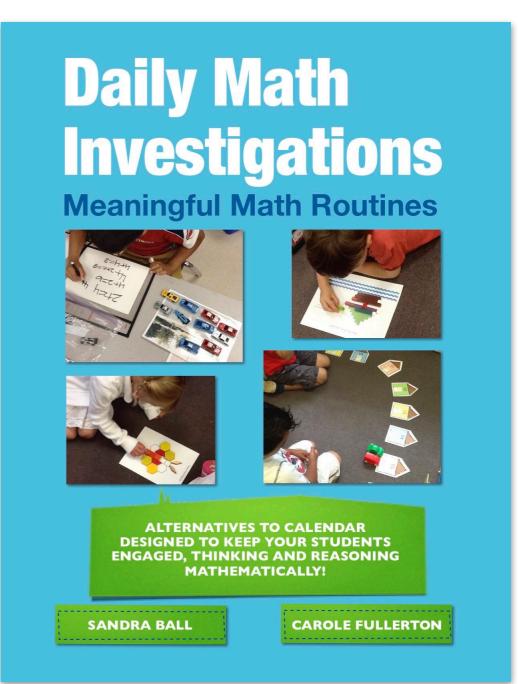
### Spatial Puzzles





## Spatial Puzzles







### Remarkable Cuisenaire Rods



Mathematical Tasks fo Primary Classroom

Carole Fuller



### Cuisenaire Rods Rock!



Exploring Multiplication & Proportionality in Grades 4-7

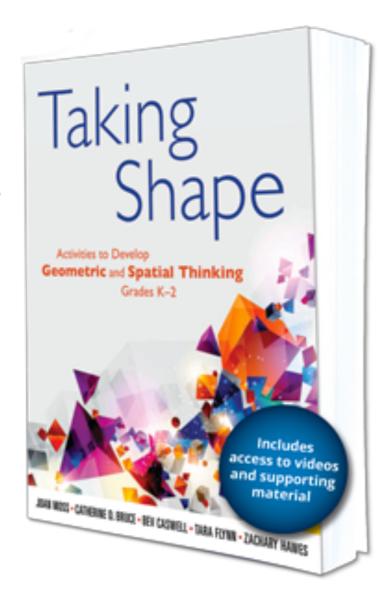
> Carole Fullerton 2015

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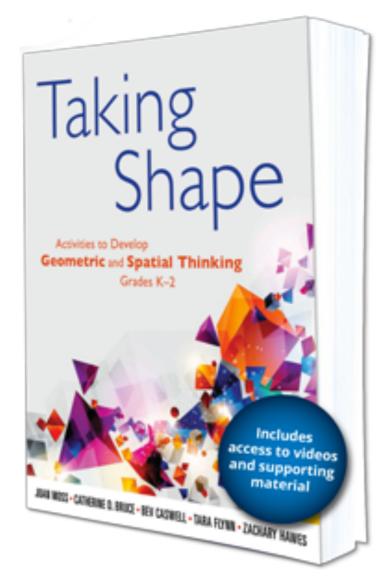
## Spatial Thinking

"Just as experiences **composing** and **decomposing numbers** are important for the development of children's **number sense** [...], it is important for children's **understanding in geometry** that they experience **decomposing** a **shape** into small parts and **recomposing** those parts into a whole.



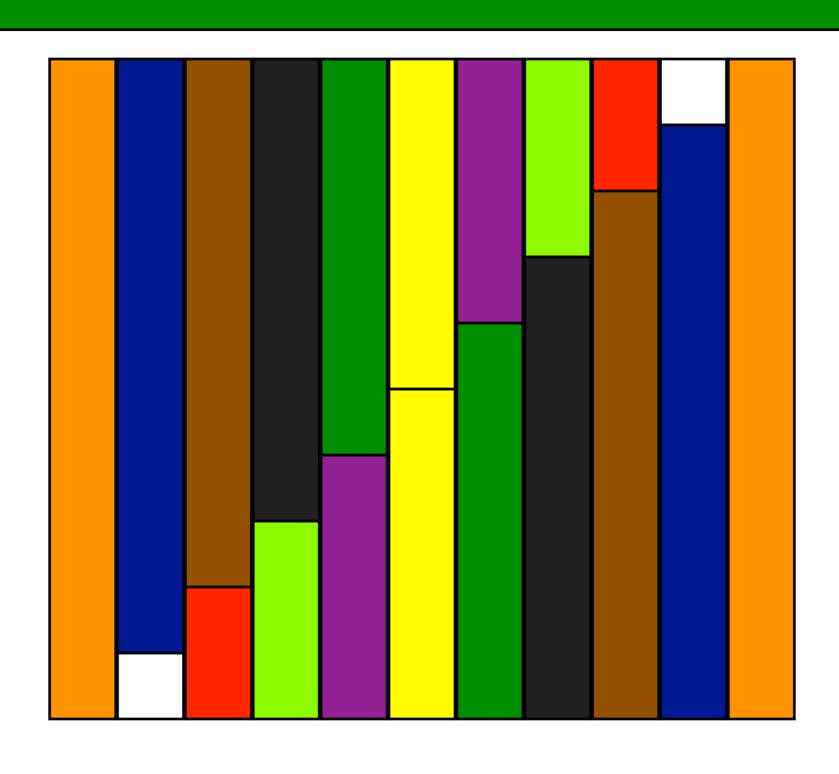
## Spatial Thinking

The ability to **predict** what shape is made when geometric shapes are put together to form a new and composite shape is the beginning of a **strong foundation for future success in geometry**."

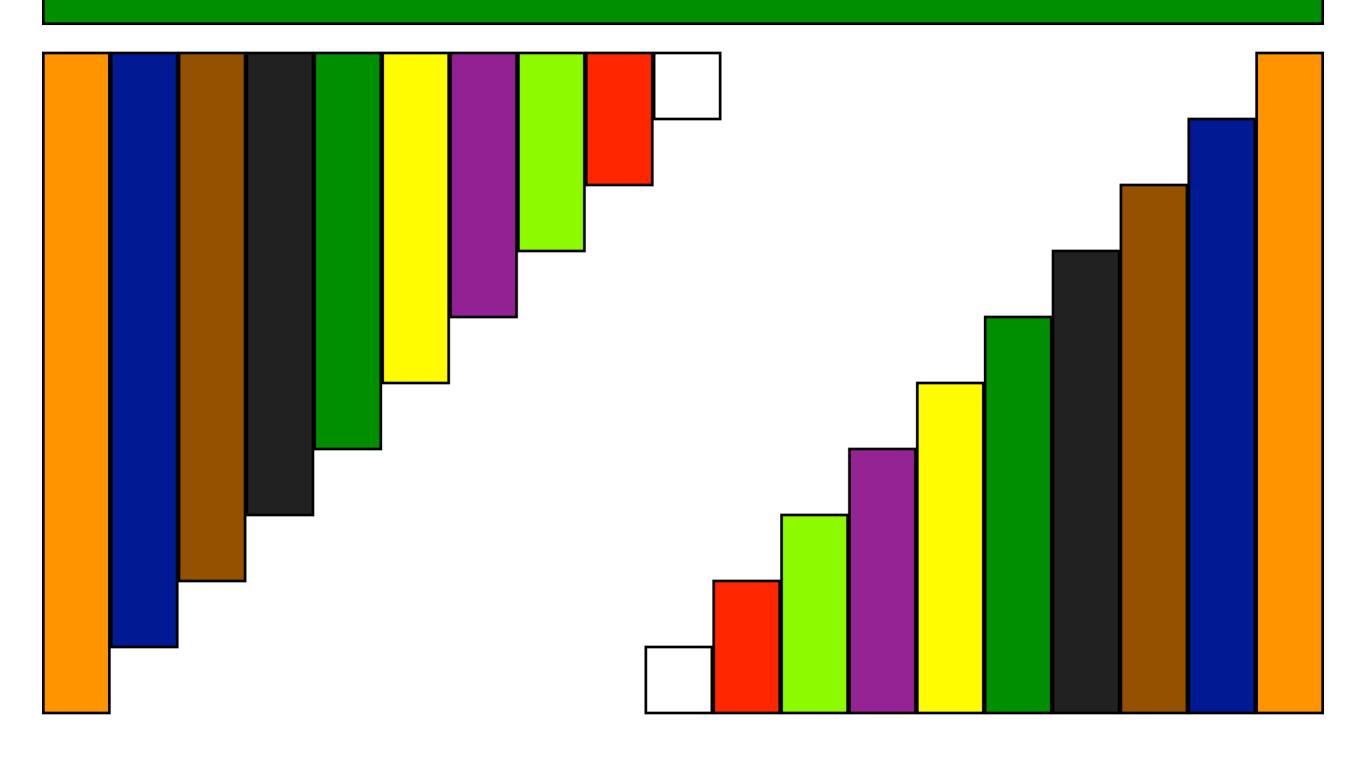


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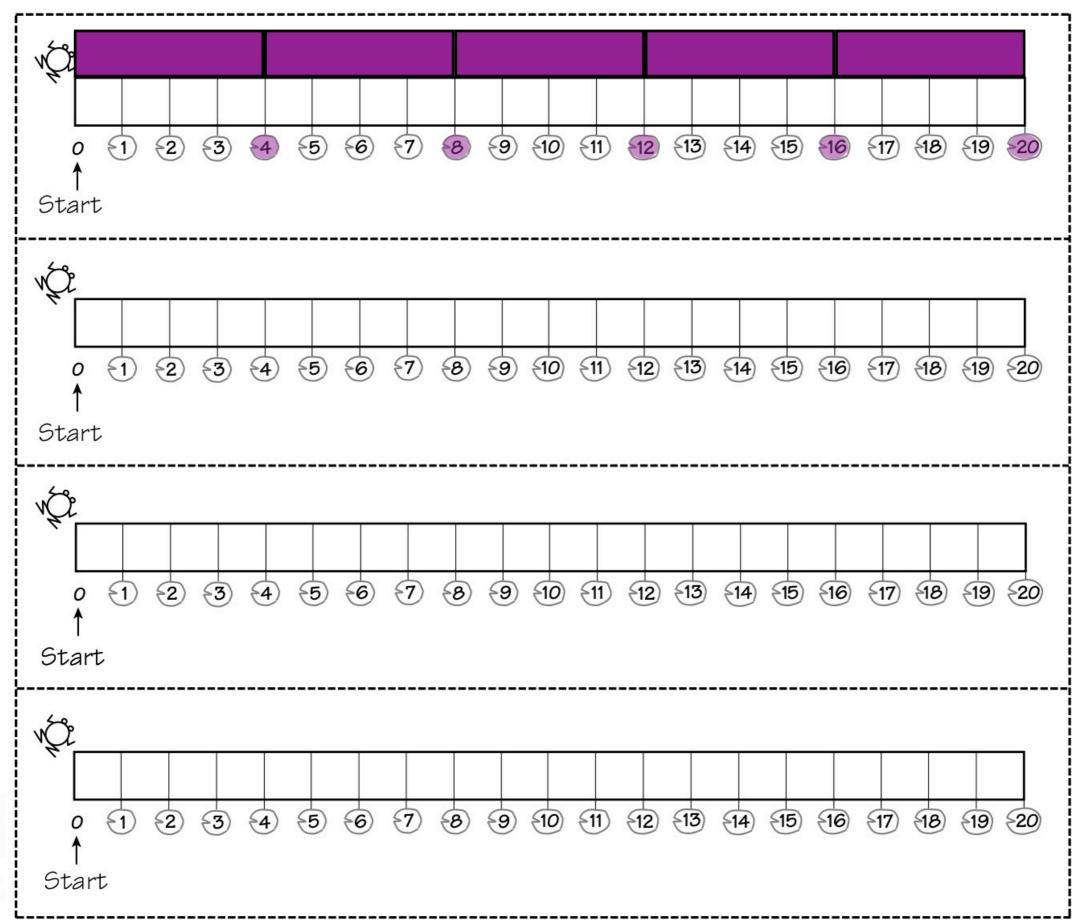
### Number/Colour Match



### Number/Colour Match



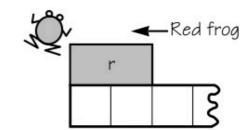
## Jumping Frogs



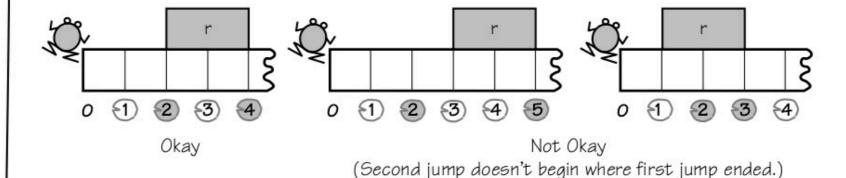
#### On Their Own

#### Make a Cuisenaire Rod "frog" jump! Which lily pads will the frog land on?

- With a partner, choose a rod of any color. Pretend that your rod is a frog that jumps its own length.
- Color the picture of the frog on a lily pad strip the same color as your rod.
- Get your frog ready to jump. Make it jump onto the lily pad strip starting at O. Color the lily pad at the end of the jump the same color as your frog. Here's an example.



• Jump again! Start this jump where the first jump ended. Color the lily pad at the end of each jump. Here's an example:



- Make your frog jump all the way across the strip, coloring the lily pads at the end of each jump.
- Now choose a rod of a different color. Make this "frog" jump its own length along a new lily pad strip. Color to show the jumps. Do the same for different colored rods.
- Cut your lily pad strips apart. Compare them. Look for patterns.
- Be ready to talk about what you find out.

- of each jump.
  - Now choose a rod of a different color. Make this "frog" jump its own length along a new lily pad strip. Color to show the jumps. Do the same for different colored rods.
  - Cut your lily pad strips apart. Compare them. Look for patterns.
  - · Be ready to talk about what you find out.

#### **The Bigger Picture**

#### Thinking and Sharing

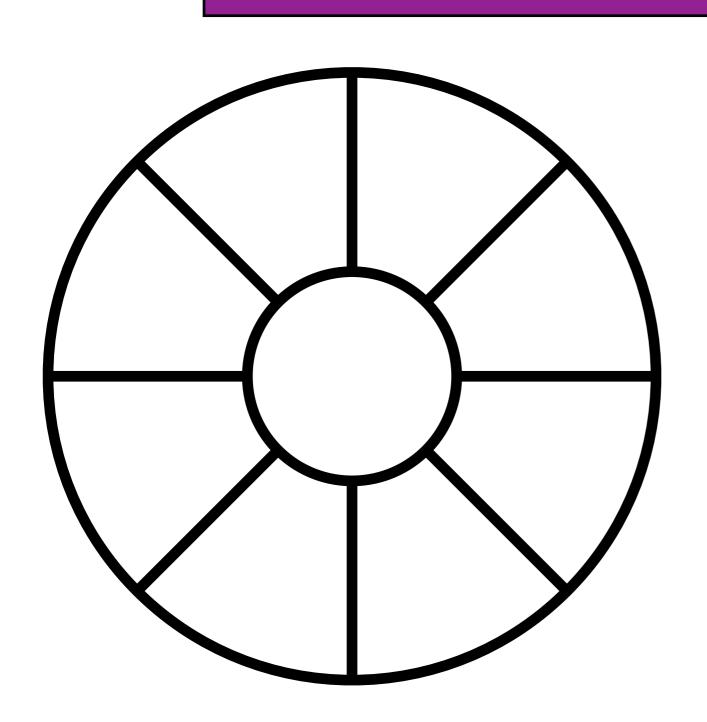
Write the colors, from white to orange, as column headings across the chalkboard. Call on pairs to post their lily pad strips in the appropriate columns.

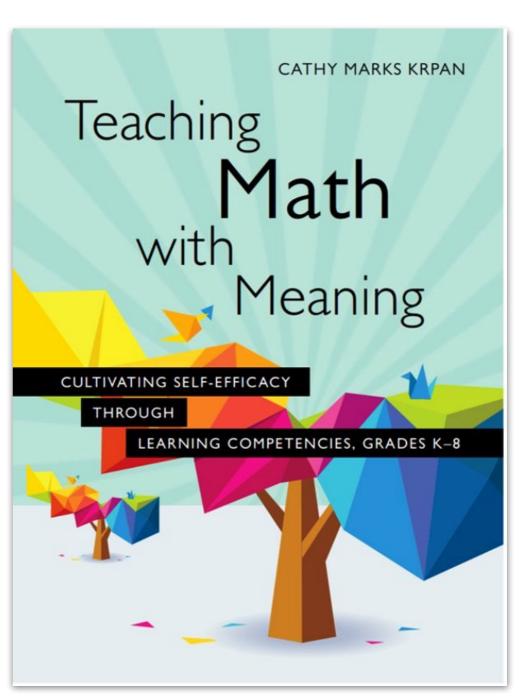
Use prompts such as these to promote class discussion:

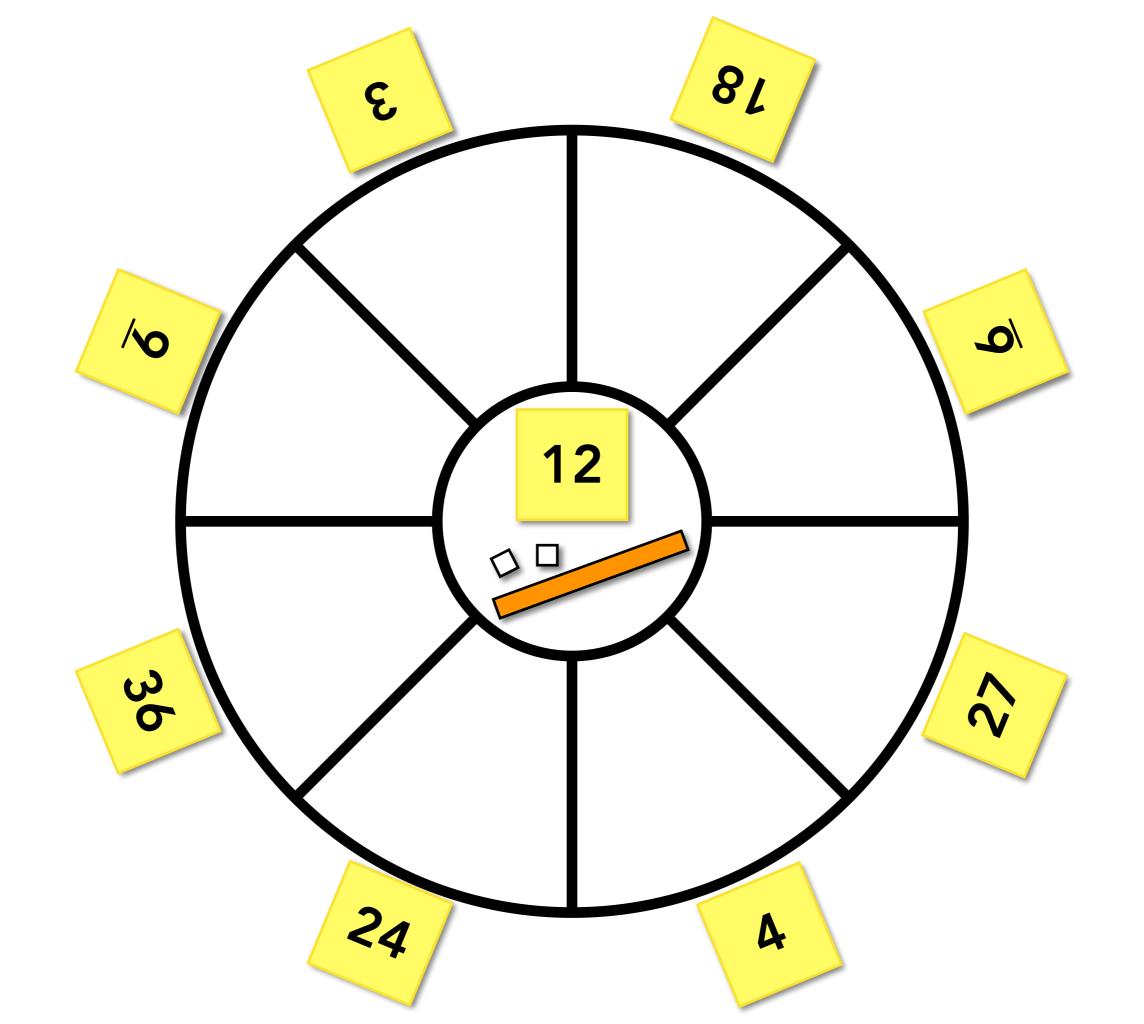
- What do you notice about the posted lily pad strips?
- How are the strips the same? How are they different?
- Which frogs' jumps could you predict? Why?
- ◆ At which lily pads did the \_\_\_\_\_(name a color) frog land?

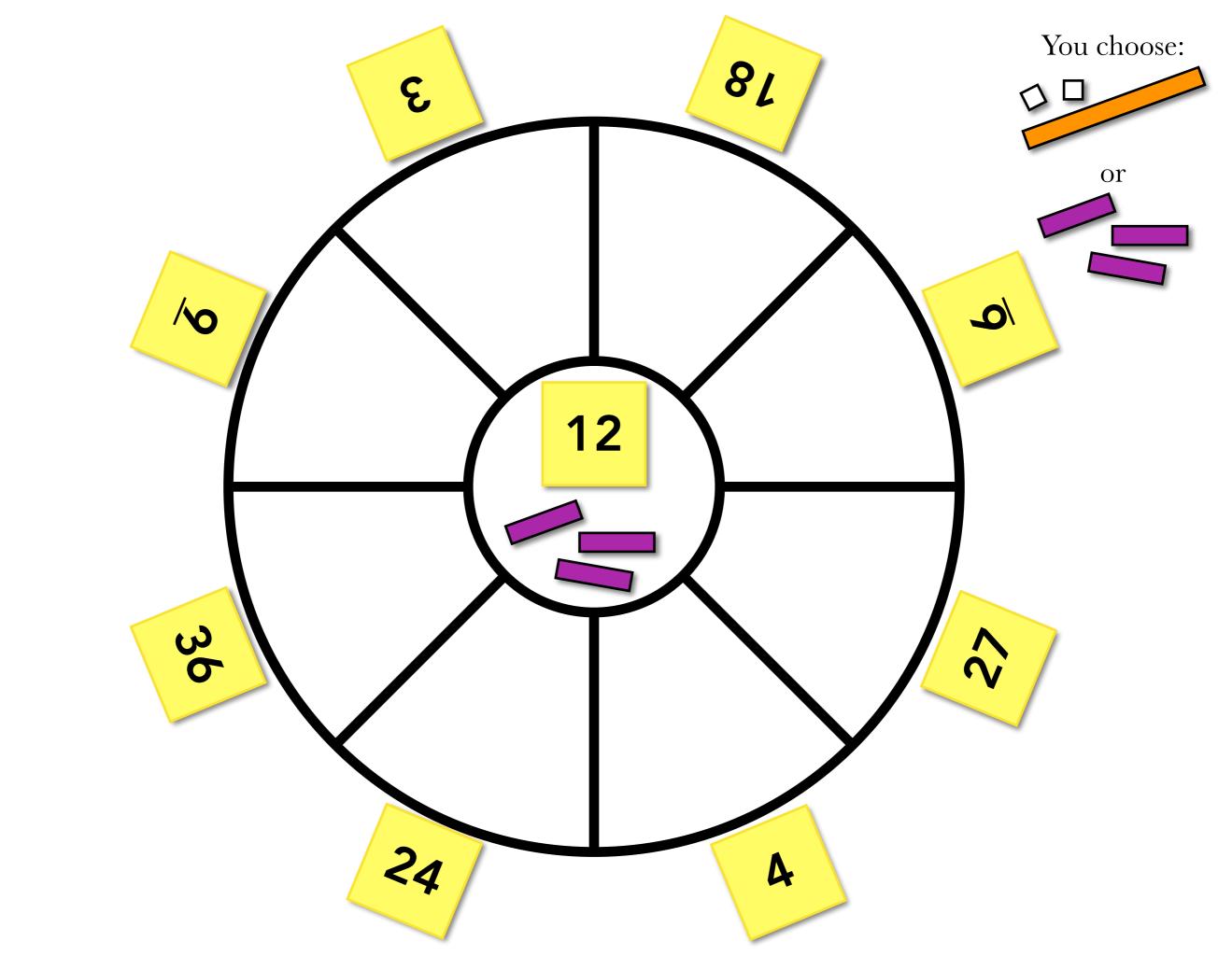
© ETA/Cuisenaire®

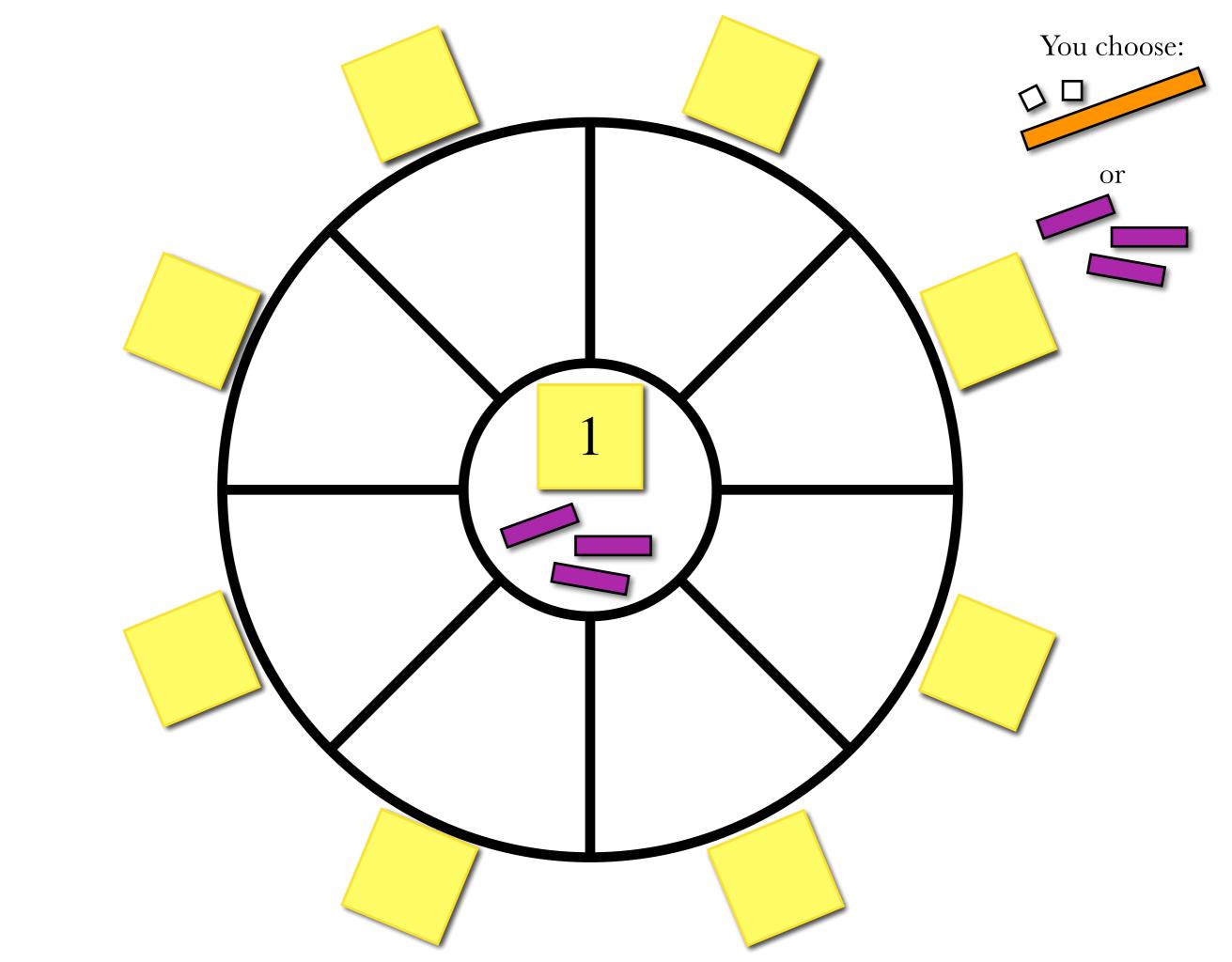
## Concept Circle

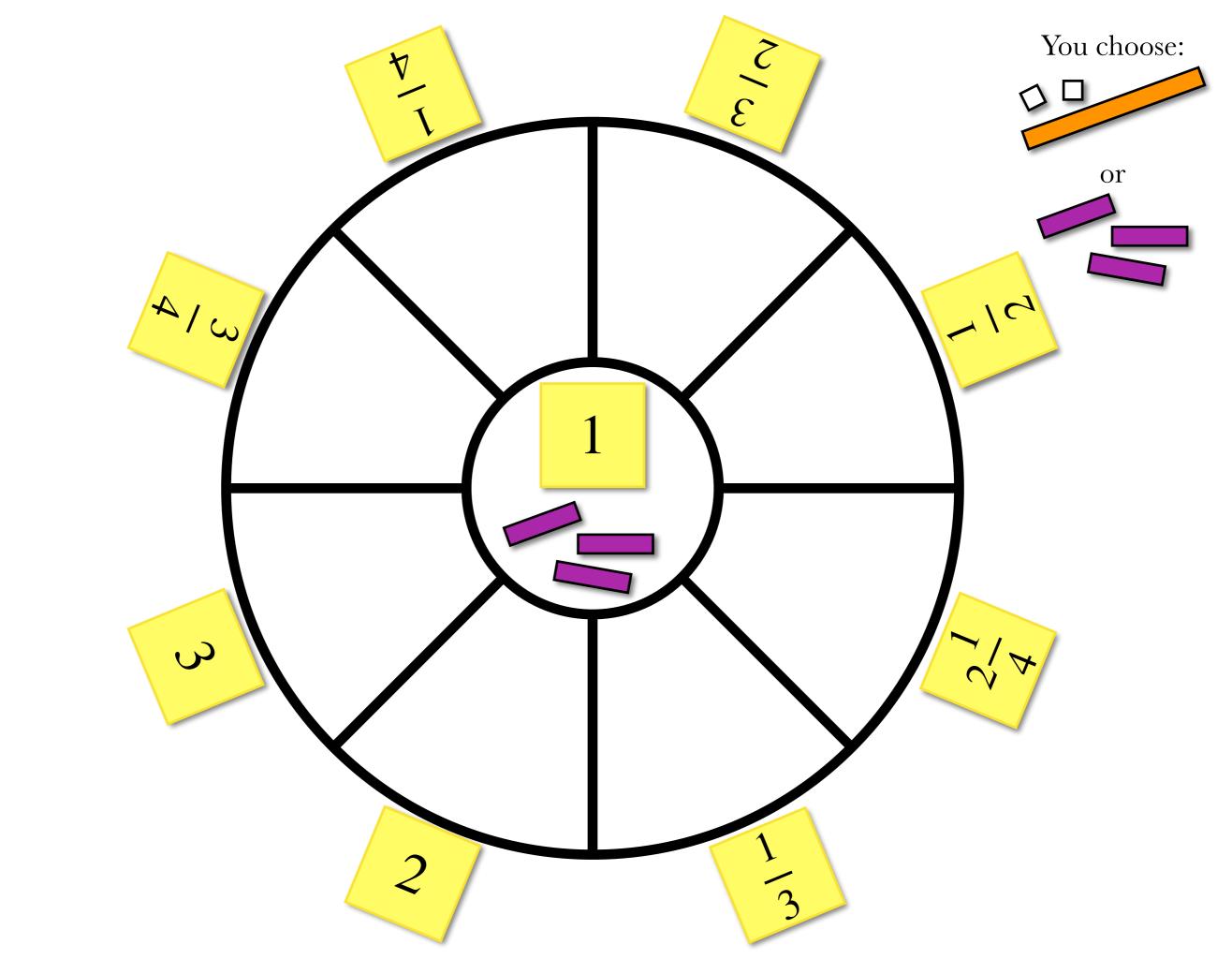




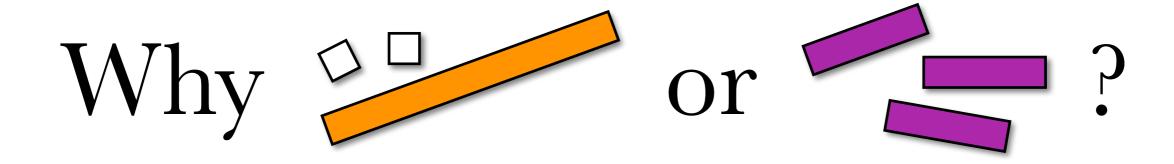


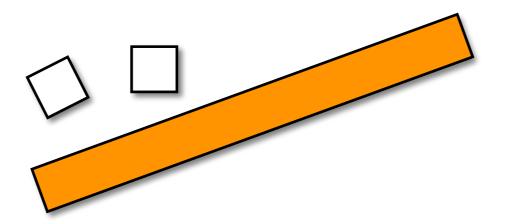






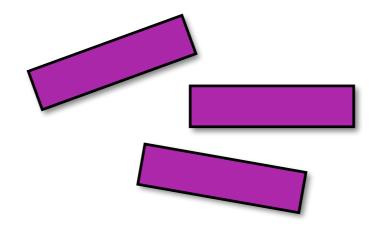
You choose:
or

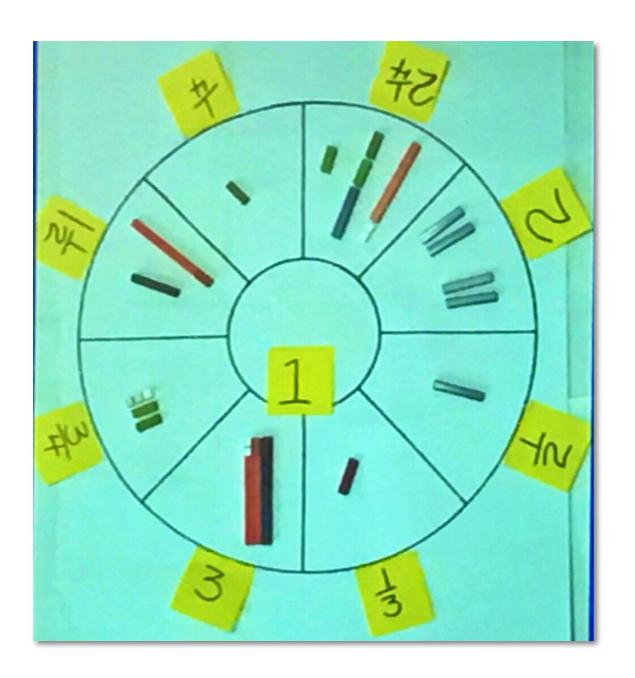




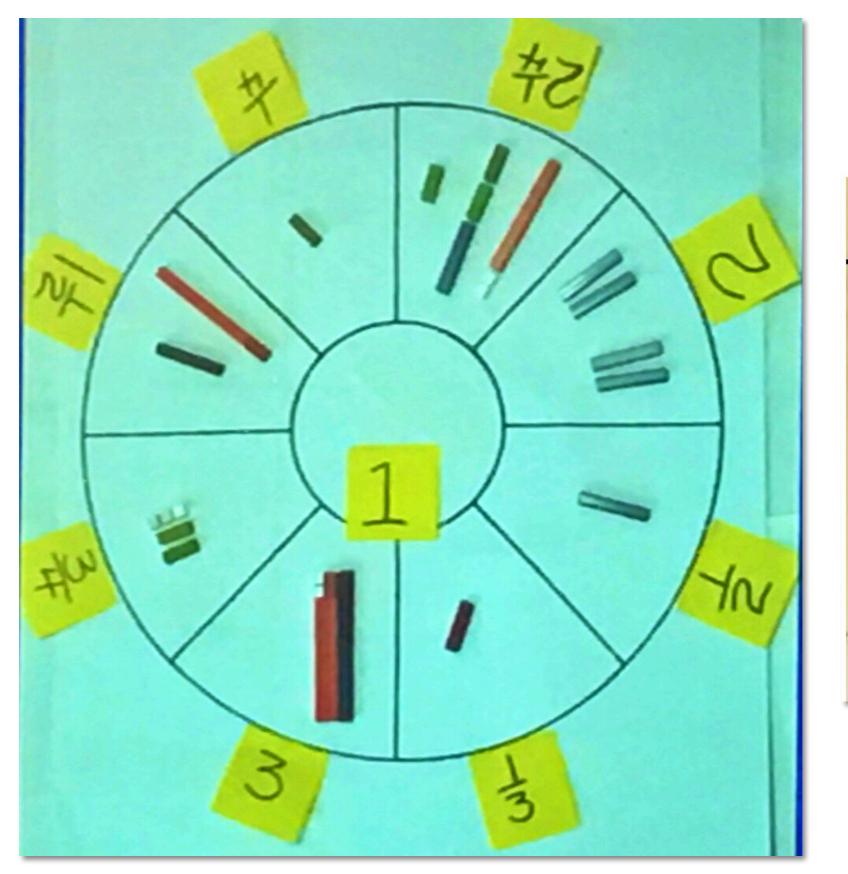
"You can represent a number in a variety of ways. Each representation of a number can **focus** on a **different aspect** of a number."

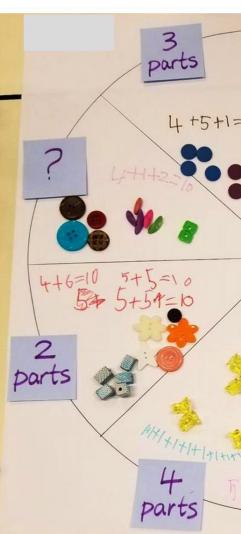
-Marian Small





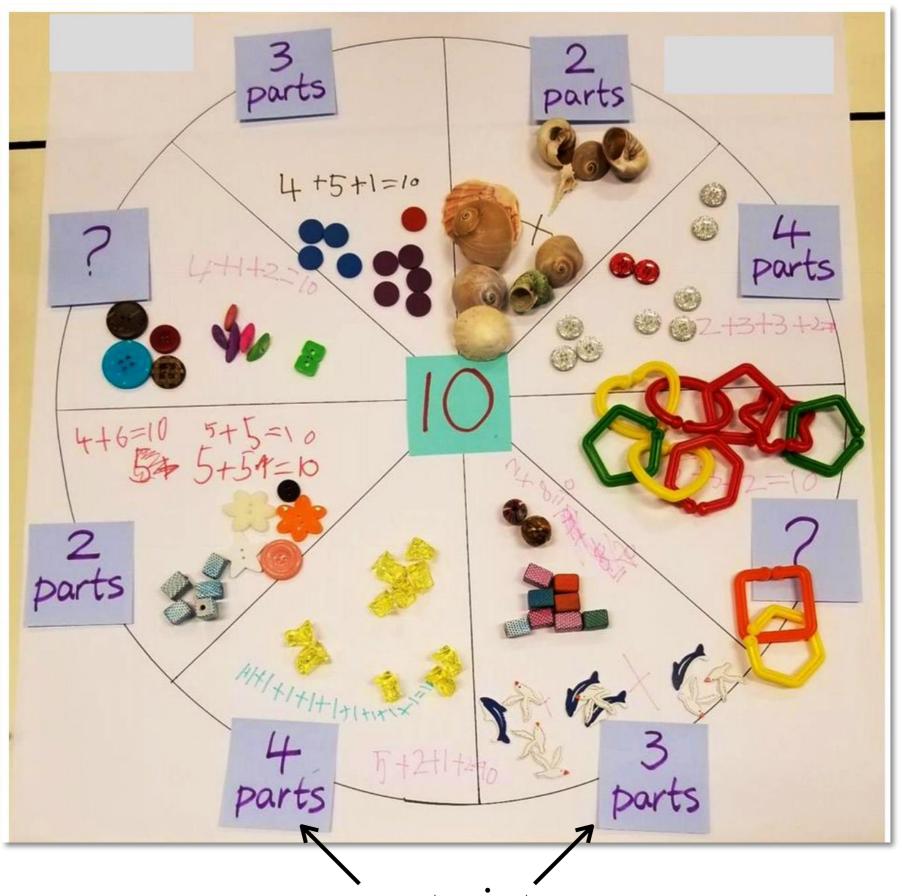






"How many ways can you make 1?"





constraints

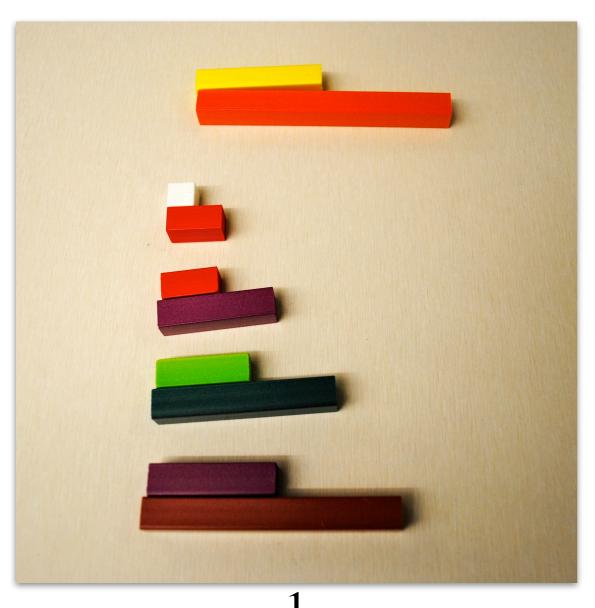
### Fraction Pairs

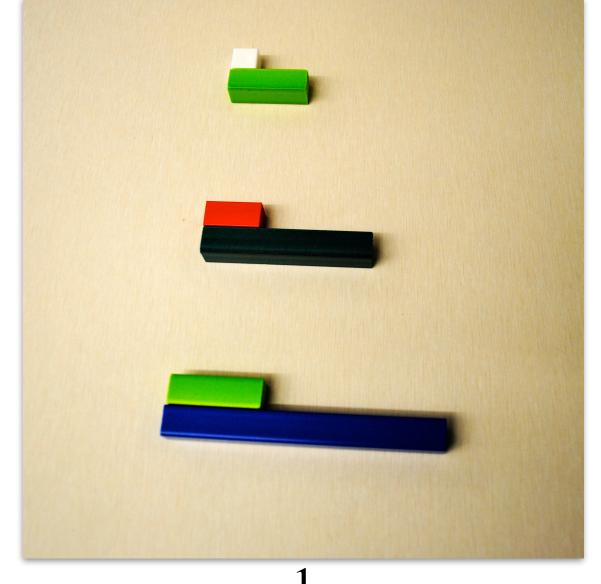
Find a rod that is *half* the length of the **orange** rod.

Find as many rod pairs as you can that show  $\frac{1}{2}$ .

Find as many rod pairs as you can that show  $\frac{1}{3}$ .

### Fraction Pairs

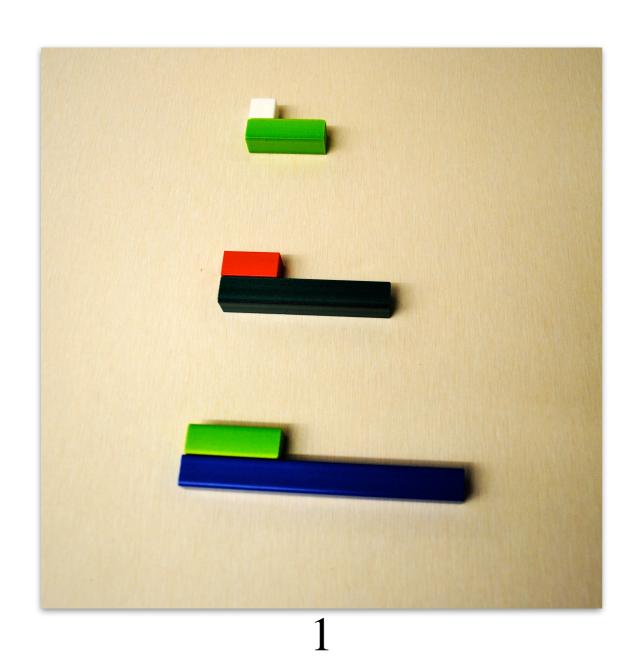


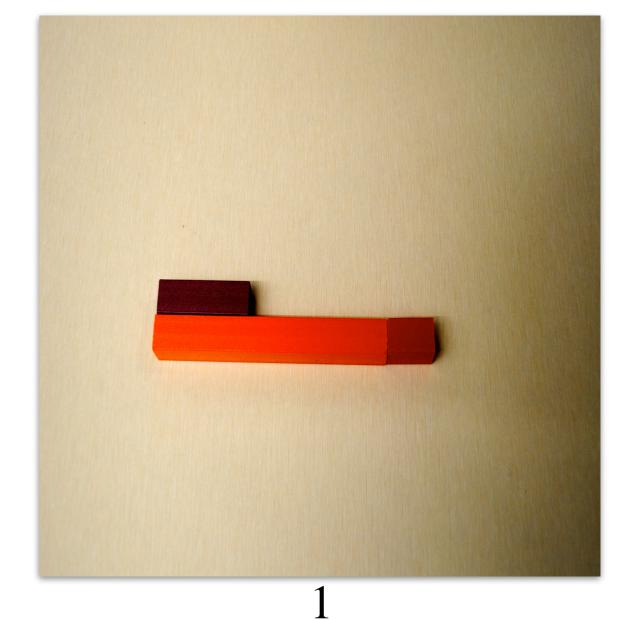


 $\frac{1}{2}$ 

 $\frac{1}{3}$ 

### Fraction Pairs





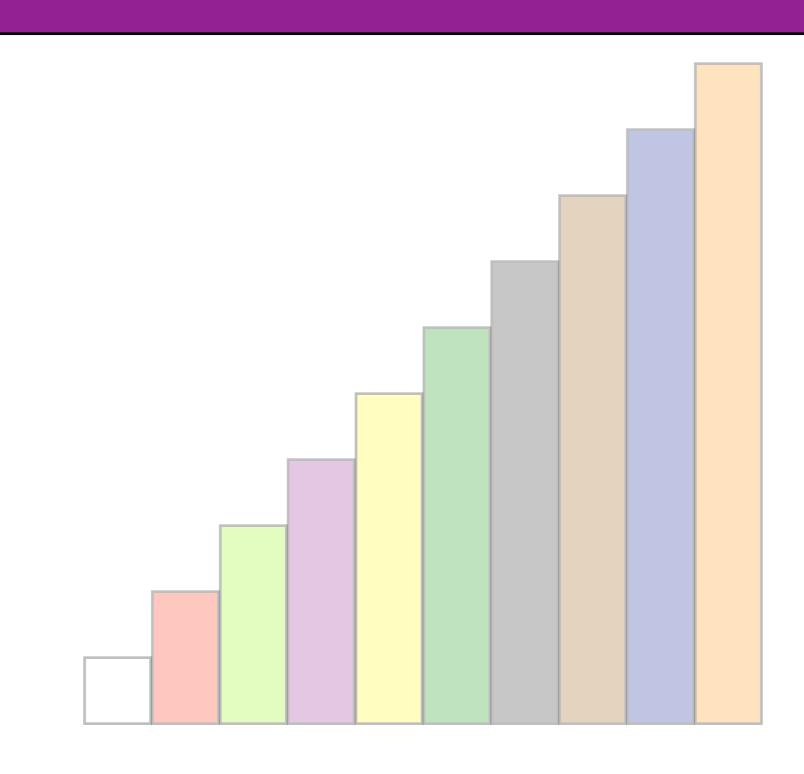
### Rod Ratios

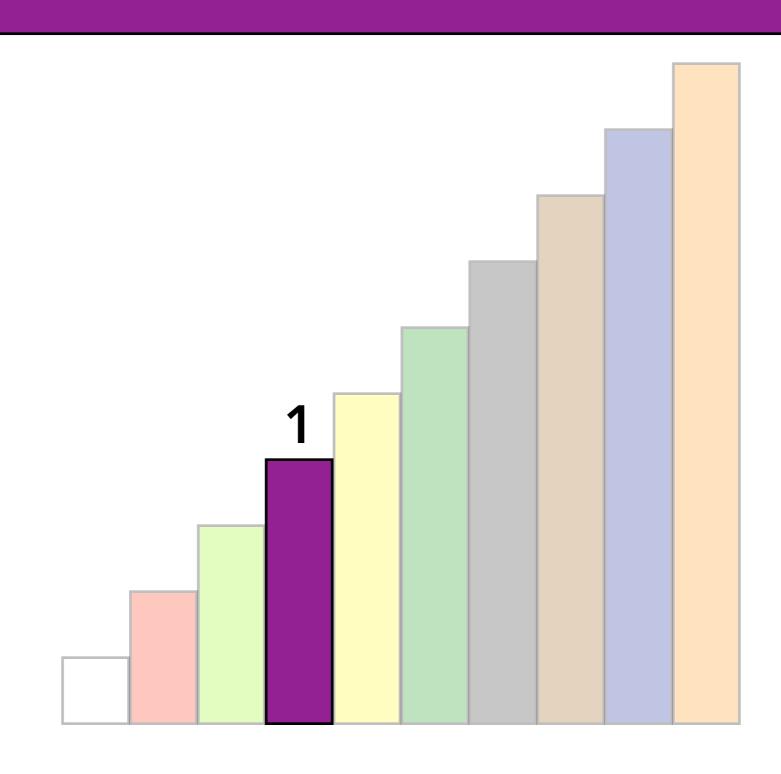
What is the ratio of this pair of Cuisenaire rods?

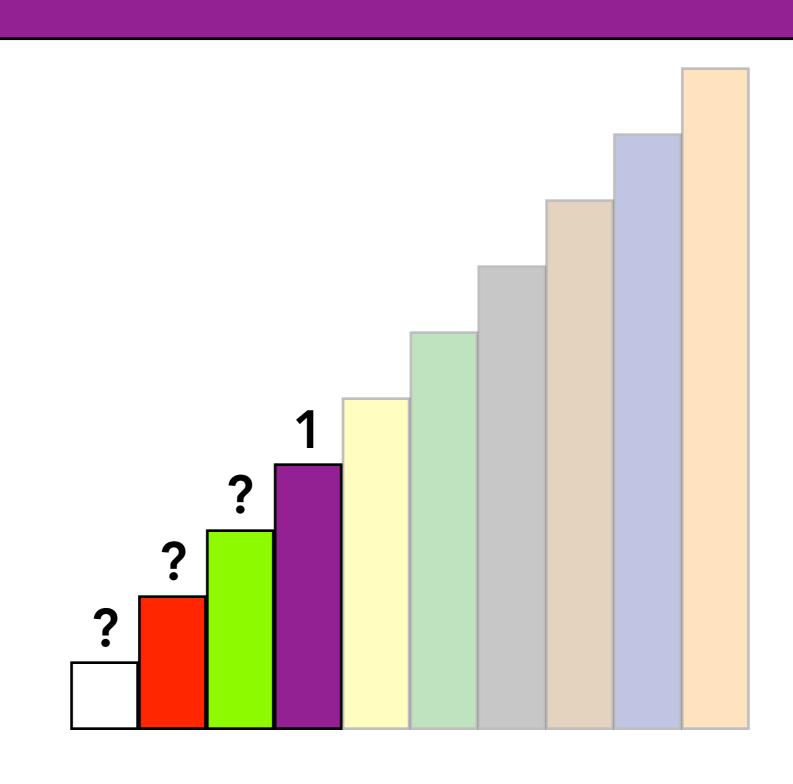
How do you know?

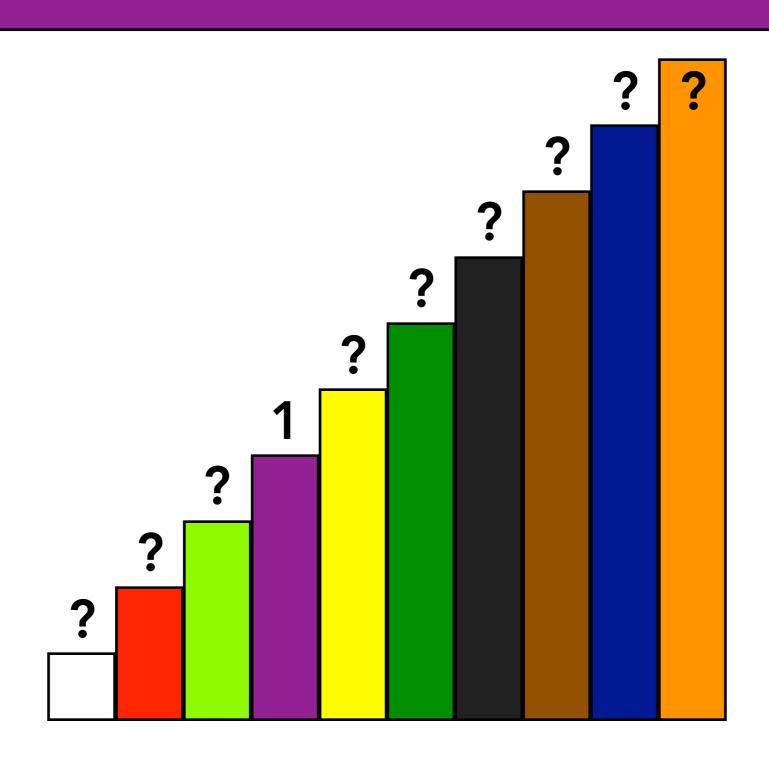
How many pairs can you find with the same ratio?

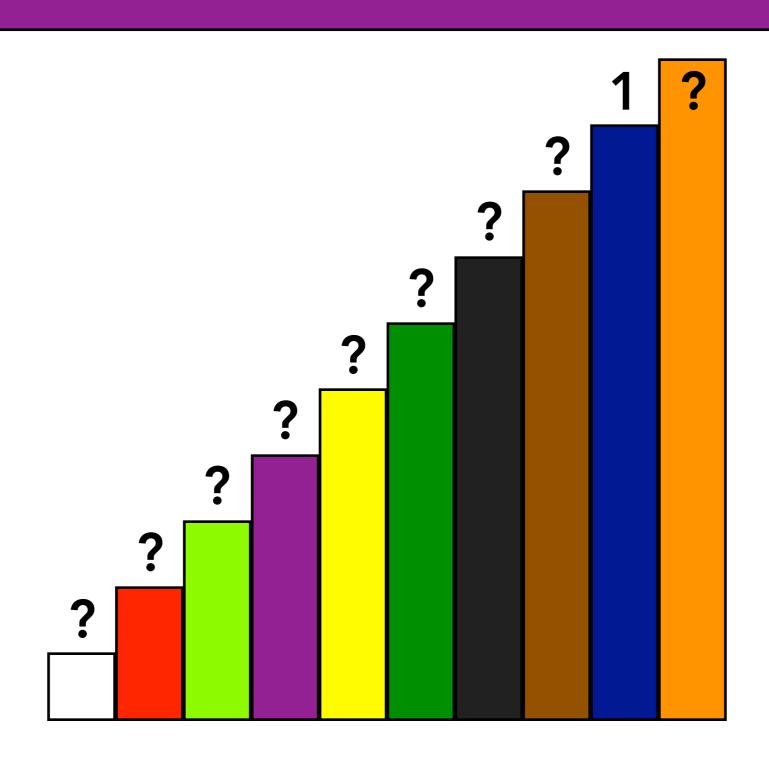






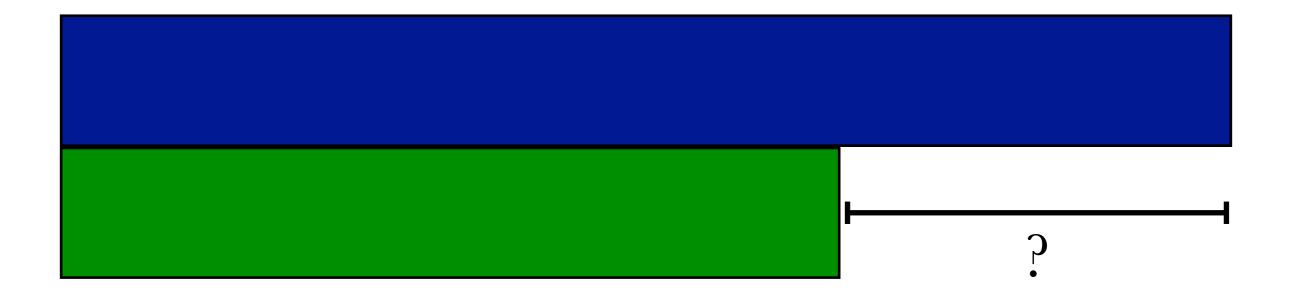






### Subtraction

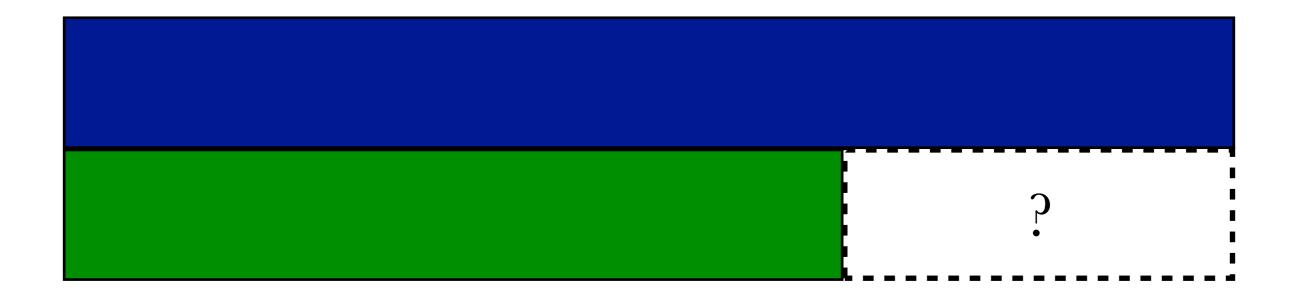
comparison



"What's the difference?"

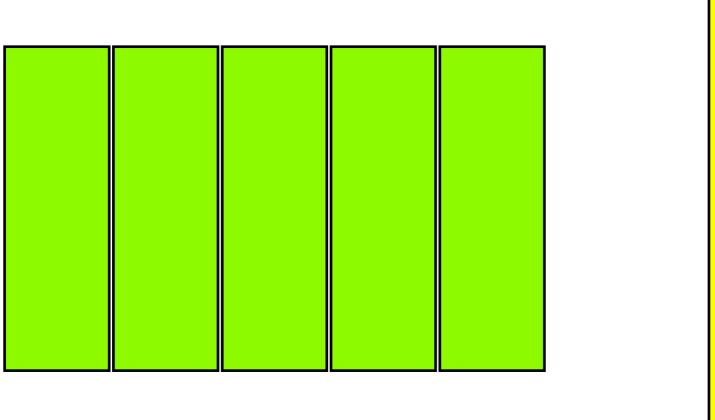
### Subtraction

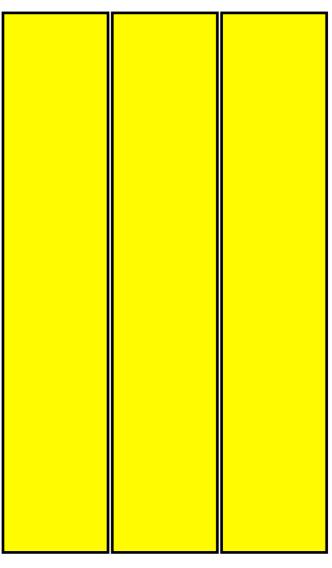
part-part-whole



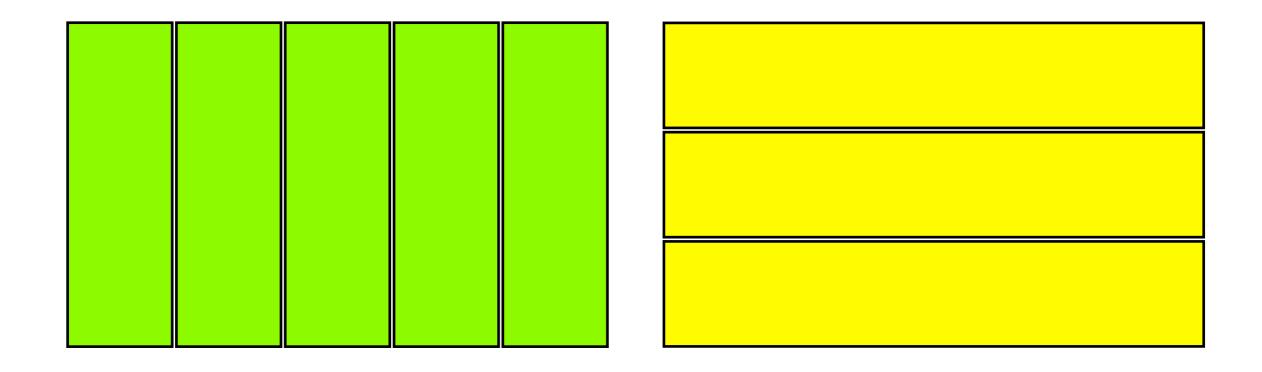
"What's missing?"

### What Is The Same? What's Different?

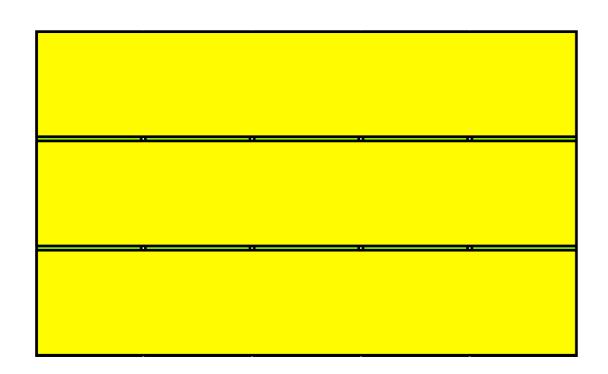




### What Is The Same? What's Different?



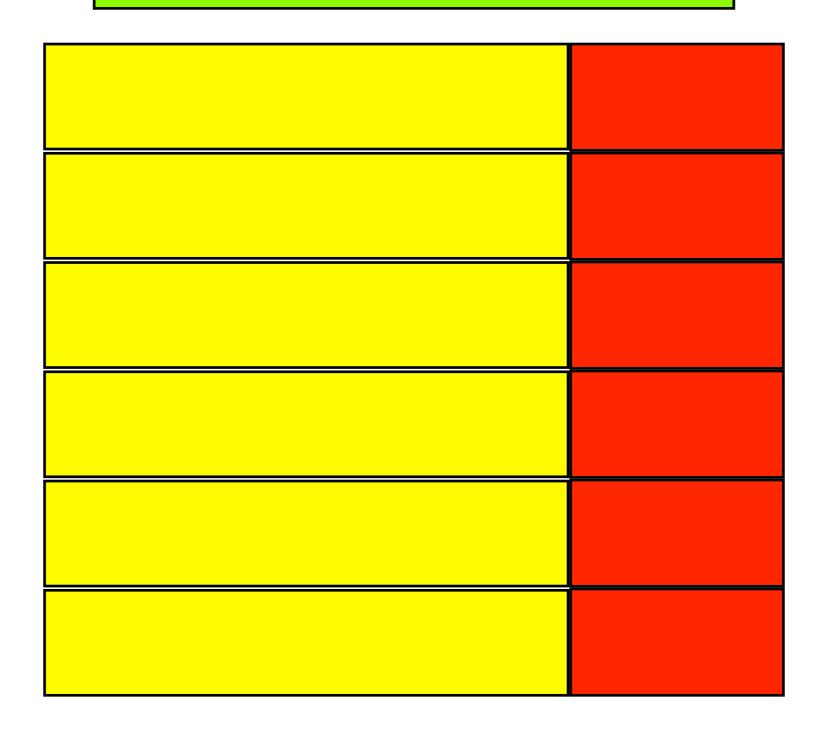
#### What Is The Same? What's Different?



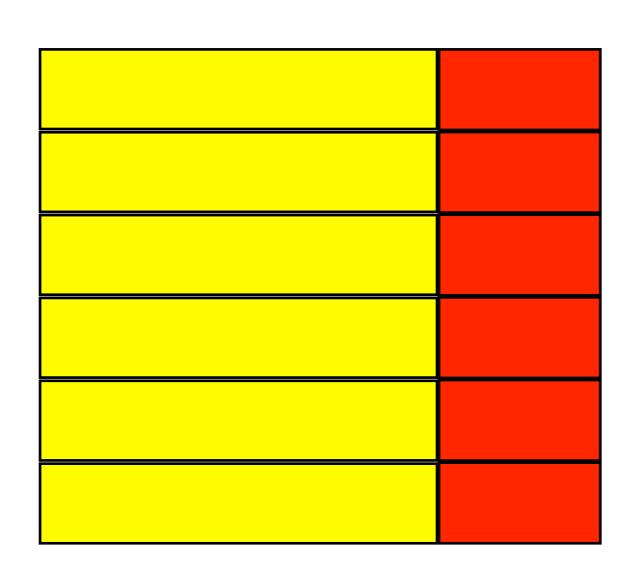
$$3 \times 5 = 5 \times 3$$

commutative property

# How Many?



# How Many?



$$6(5+2)$$

$$=6\times5+6\times2$$

$$= 30 + 12$$

$$= 42$$

distributive property

$$6(5+2)$$

$$= 6(7)$$

$$= 42$$

# How Many?

$$6(5+2)$$

$$= 6(7)$$

$$= 42$$

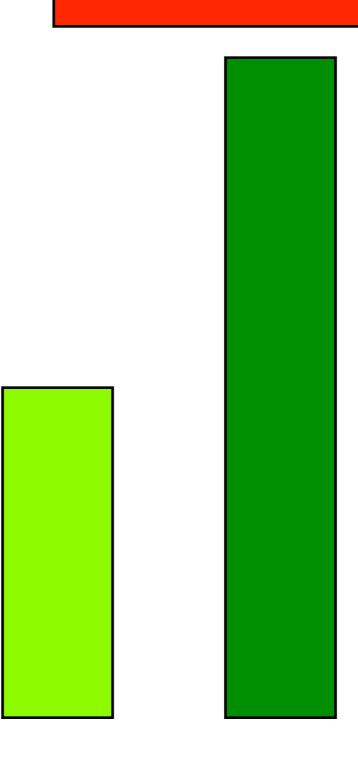
$$6(5+2)$$

$$=6\times5+6\times2$$

$$= 30 + 12$$

$$= 42$$

## Patterns



## Patterns

What comes *next*?

What else might come next?

How are these patterns the *same*? How are they *different*?

What makes a pattern a pattern?

Do all patterns repeat?

## What to Look For

#### Can they...

build a simple repeating pattern?

describe their pattern using attributes?

predict what comes next? before?

create more complex patterns?

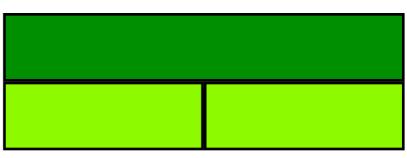


## Measurement

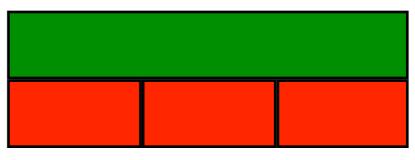
If you know a length is 10 light green rods long, will it be more or fewer than 10 dark green rods long?

Will it be more or fewer than 10 red rods long?

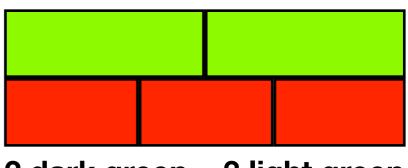
How do you know?



1 dark green = 2 light green



1 dark green = 2 light green

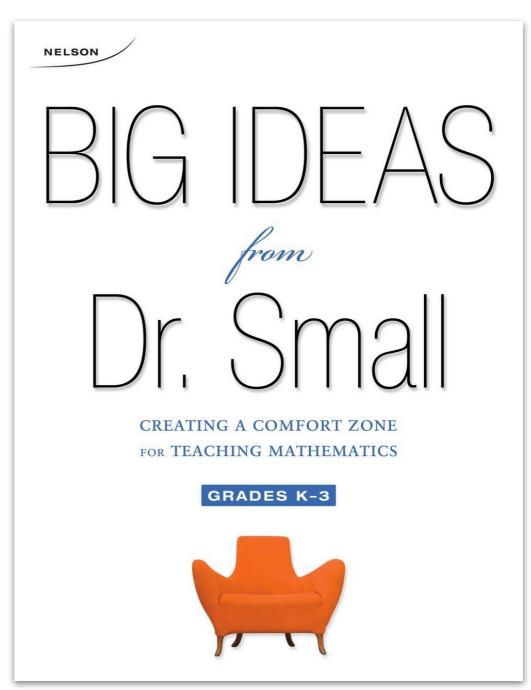


2 dark green = 3 light green

## Measurement

#### **Big Ideas for Measurement**

- Familiarity with known benchmark measurements can help you estimate and calculate other measurements.
- The unit chosen for measurement affects the numerical value of the measurement; if you use a bigger unit, fewer units are required.



K-3: 150663; 4-8: 150668

